

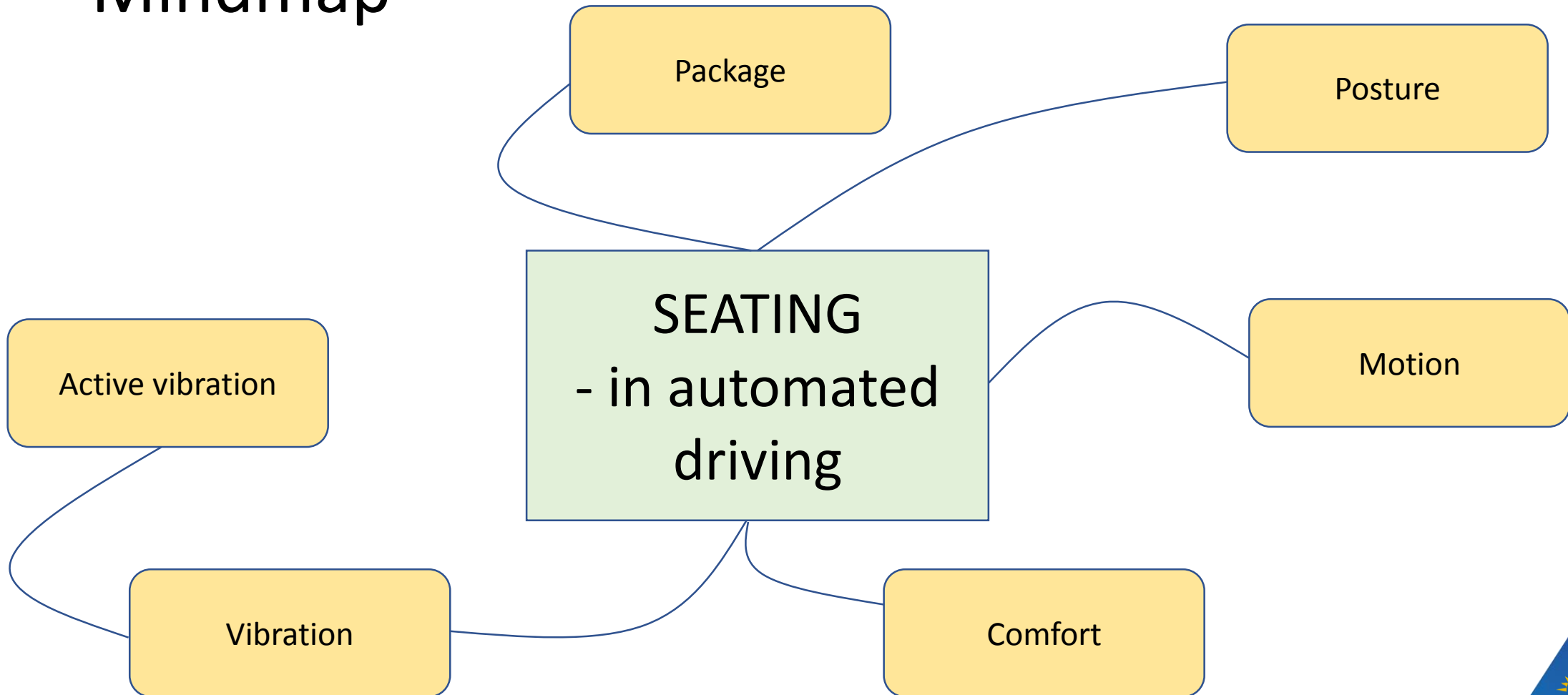
Associate Professor Dr Gunther Paul
jointly w/ Prof Dr Heinz Ulbrich

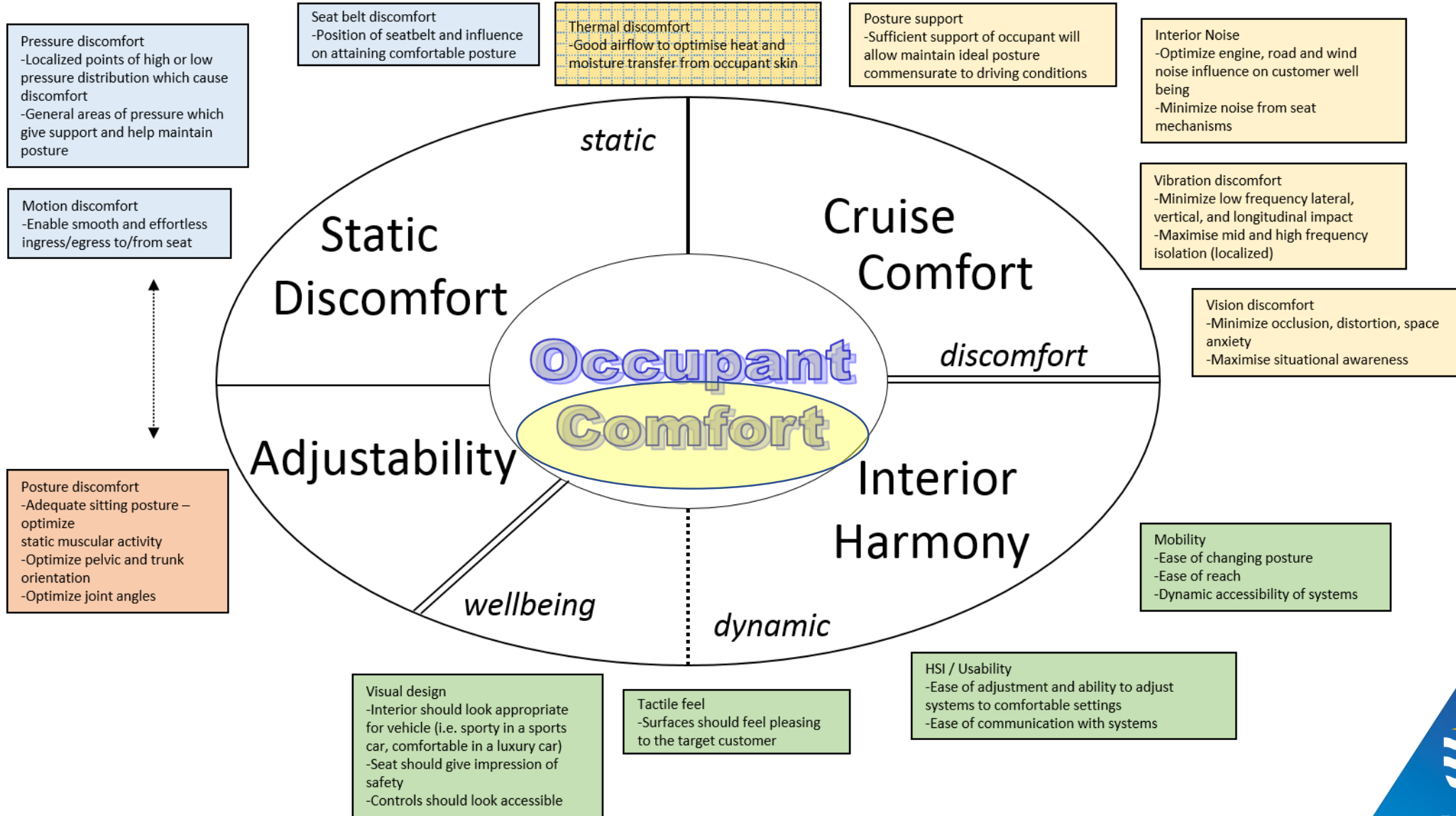
Active seat suspension enhancing driver comfort

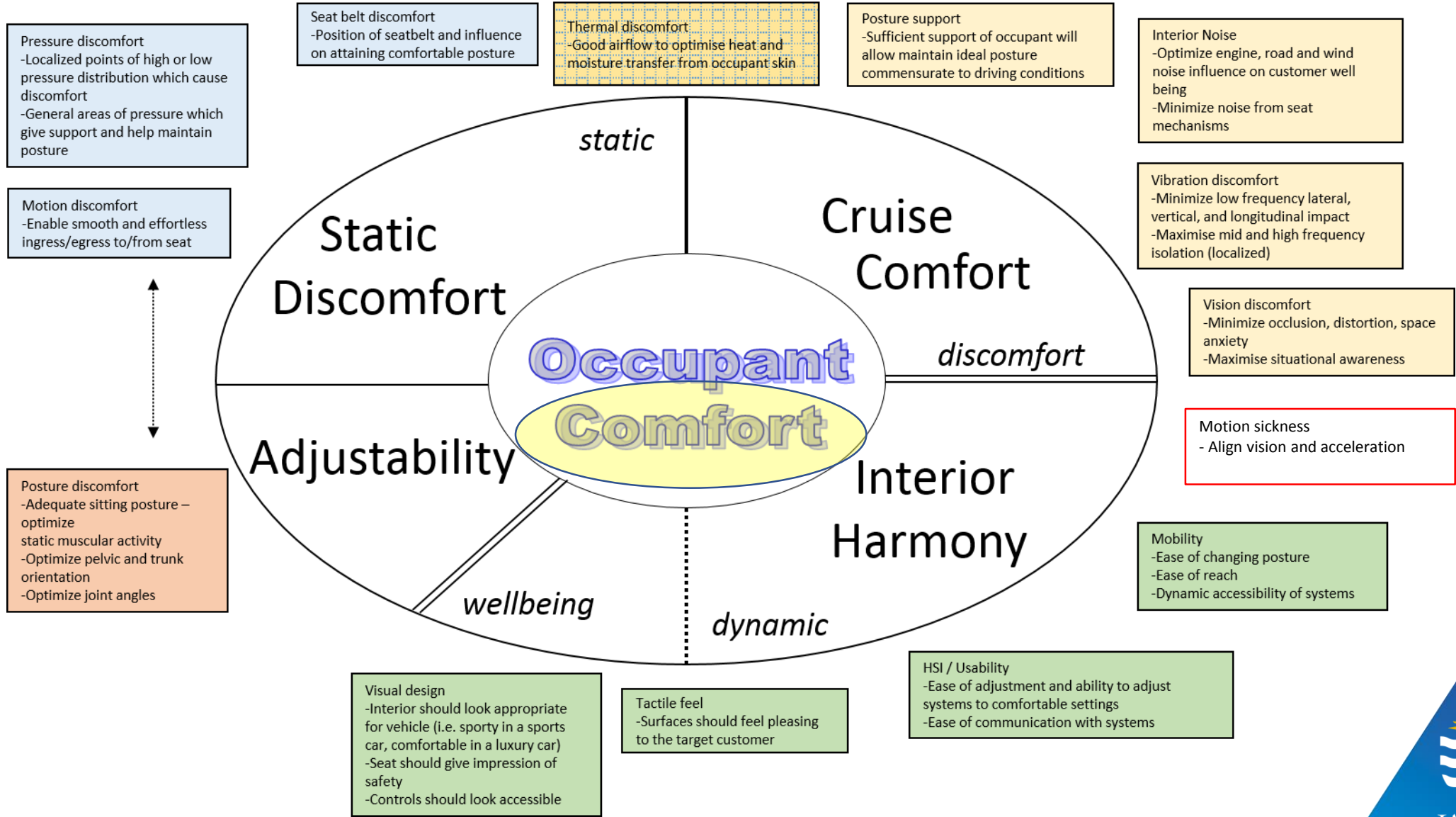


JAMES COOK
UNIVERSITY
AUSTRALIA

Mindmap

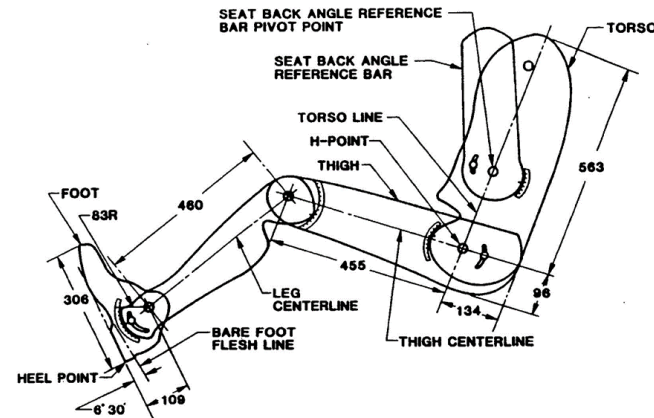
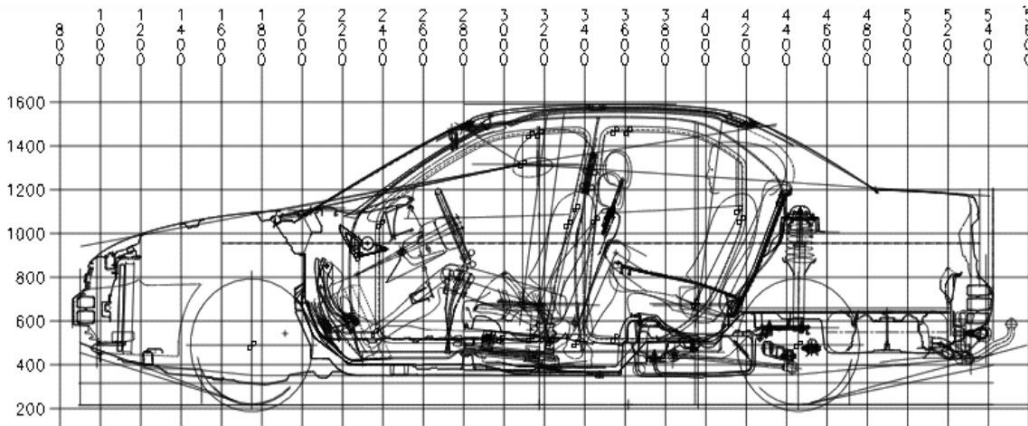
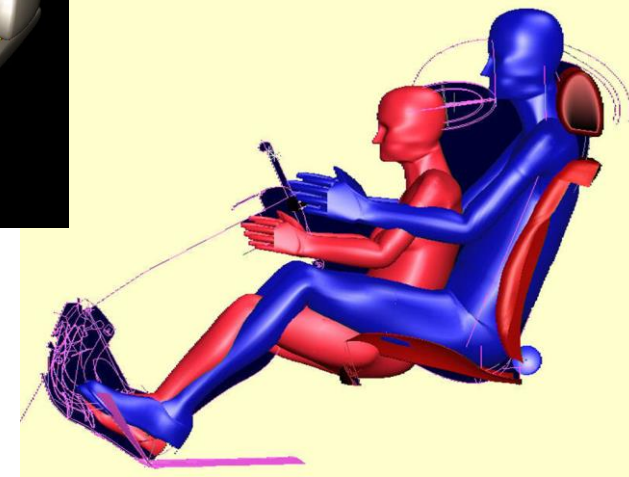
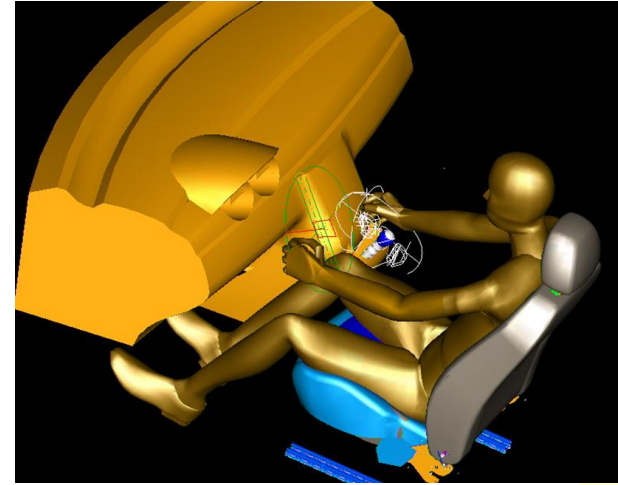


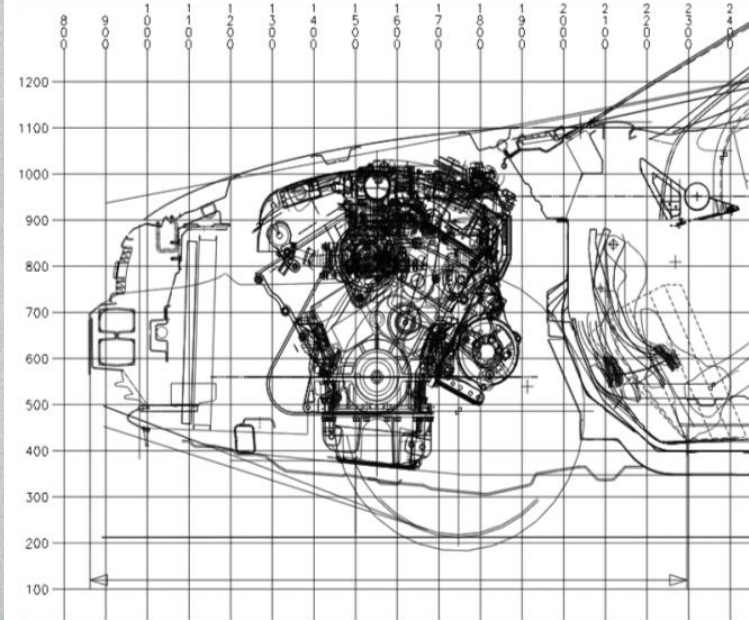
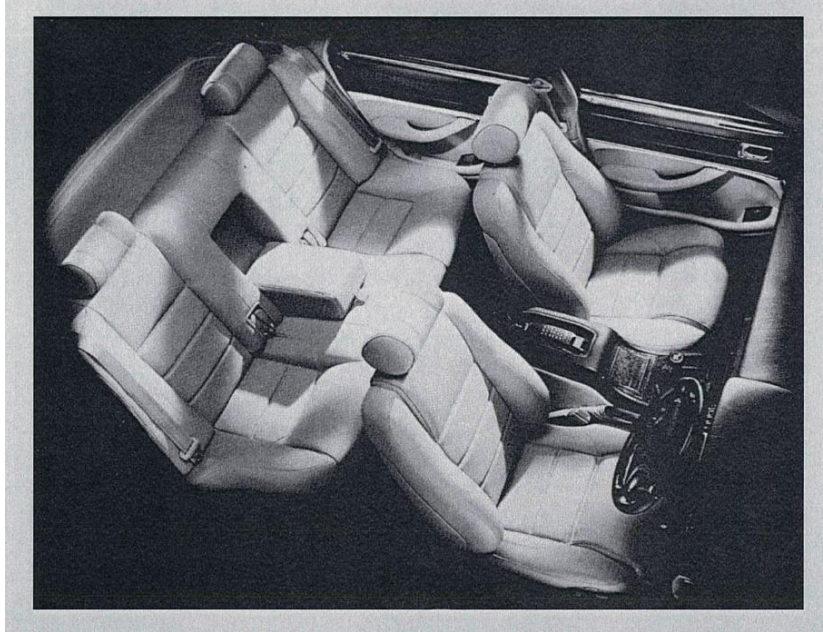




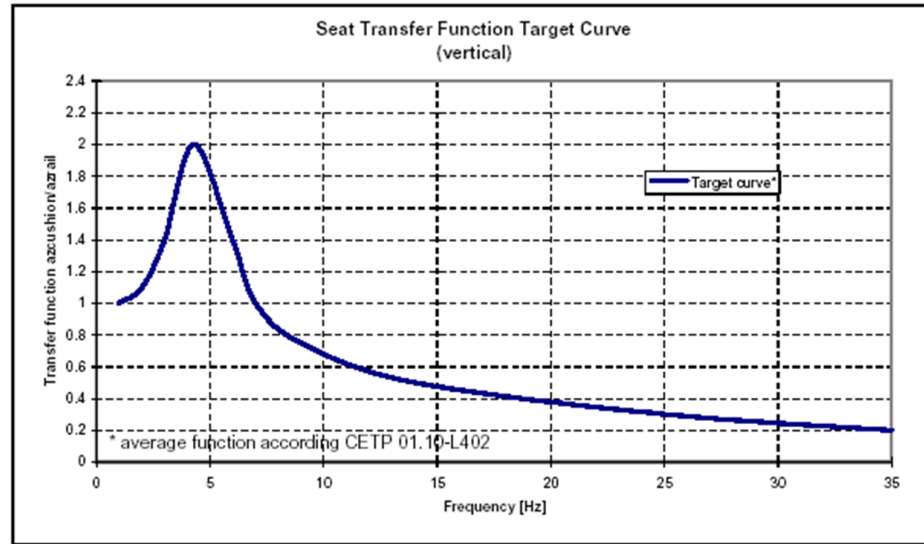


Interior Package Concept

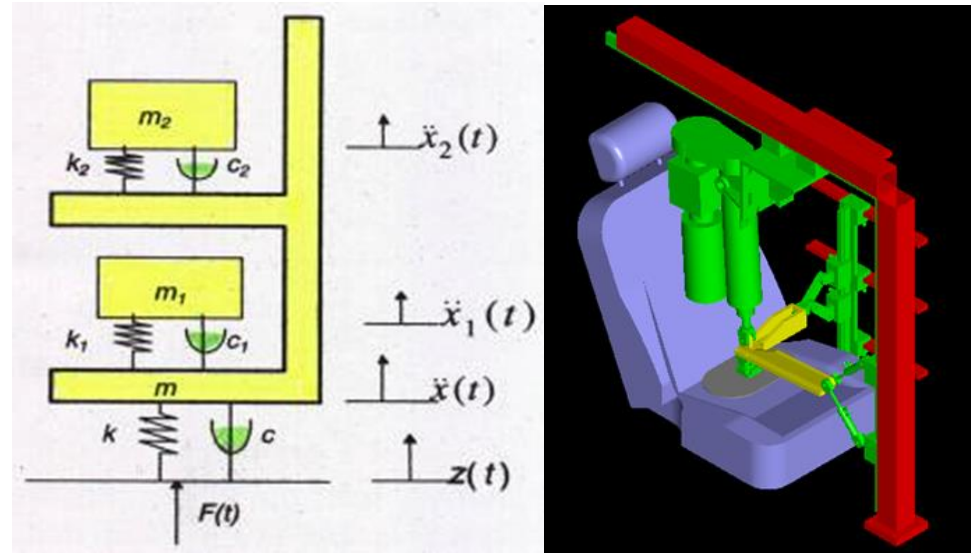


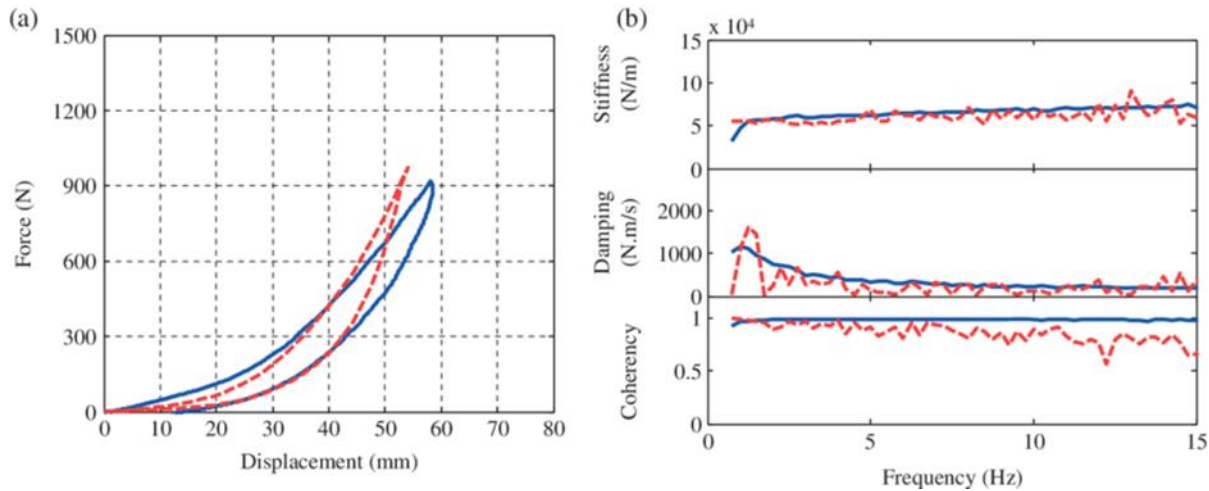


Transmissibility

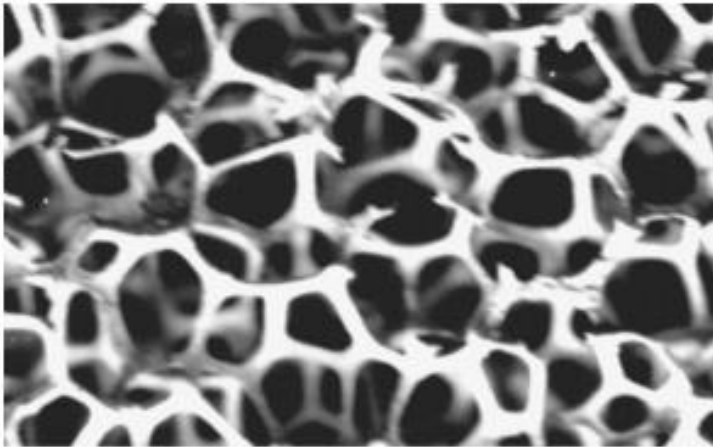


SEAT

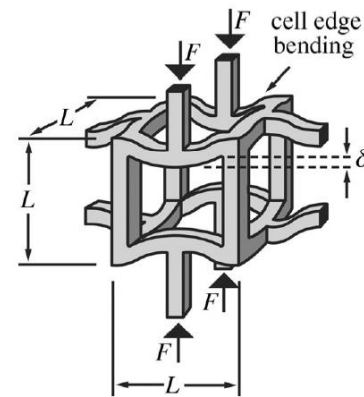
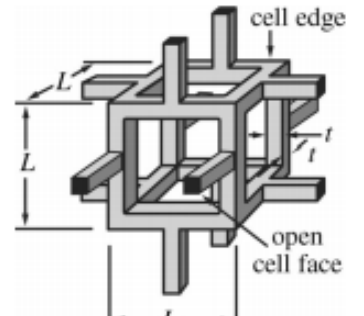




(Zhang et al 2015)



(Ashby 2006)



- stiffness
- strength
- relaxation
- thermal conductivity
- electrical resistivity
-

depend on

- properties of the (solid) material
- topology and shape of cell lattice
- relative density of foam

and indentation (i.e. posture)!

Some considerations:

1. Safety?

- Big issue – requires significant research effort: out of place etc.
- Supine posture is unrealistic and will not be authorised

2. Comfort?

- The part we can deal with currently
- Now requires consideration of rotational DOF
- New postures
- X/Z is no more the only biomechanical direction, requiring new paradigm

3. Motion sickness?

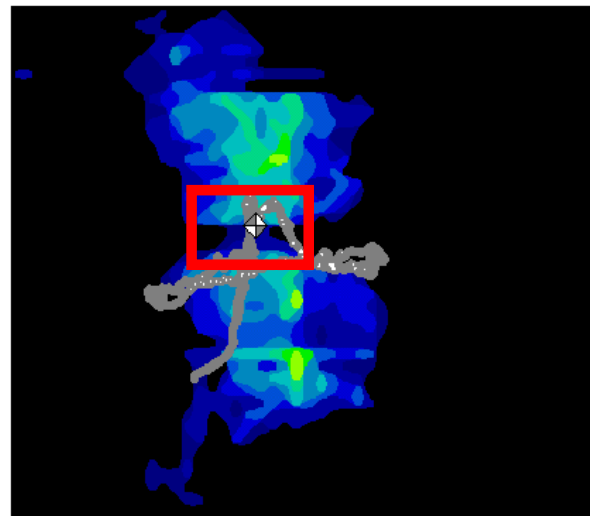
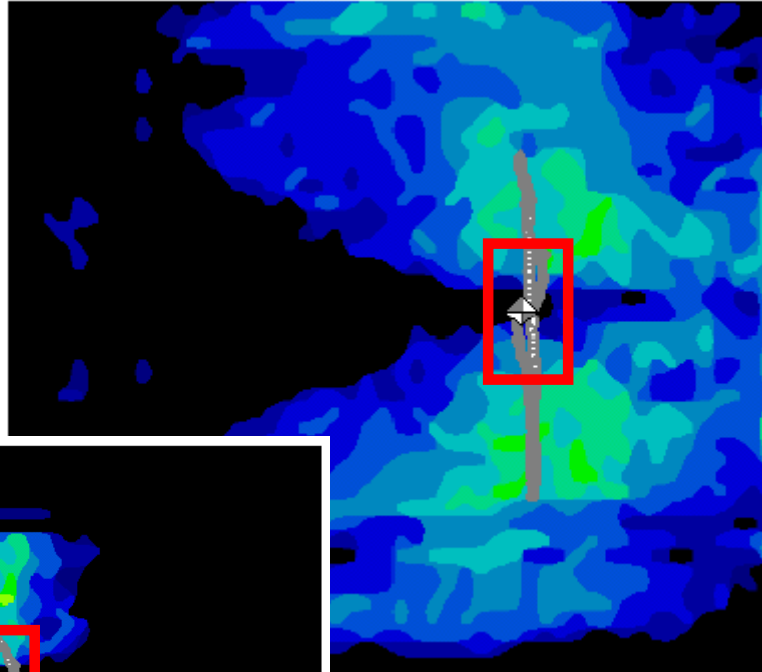
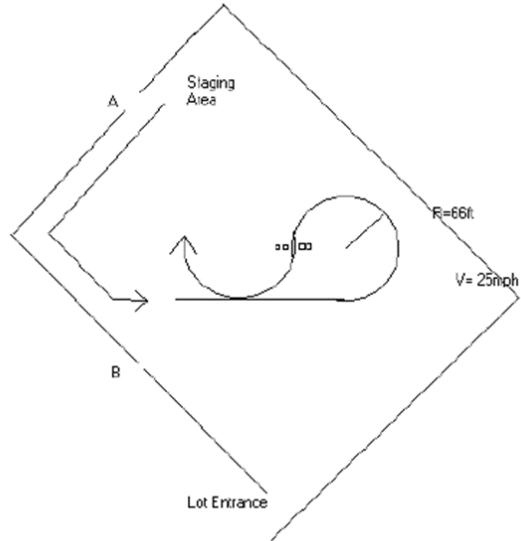
- Motion sickness is not just discomfort, it is an illness
- Motion sickness heavily depends on visual alignment with motion/inertia, and there is no realistic way to achieve complete alignment (e.g. projections)
- Mitigation must be aim

4. Package?

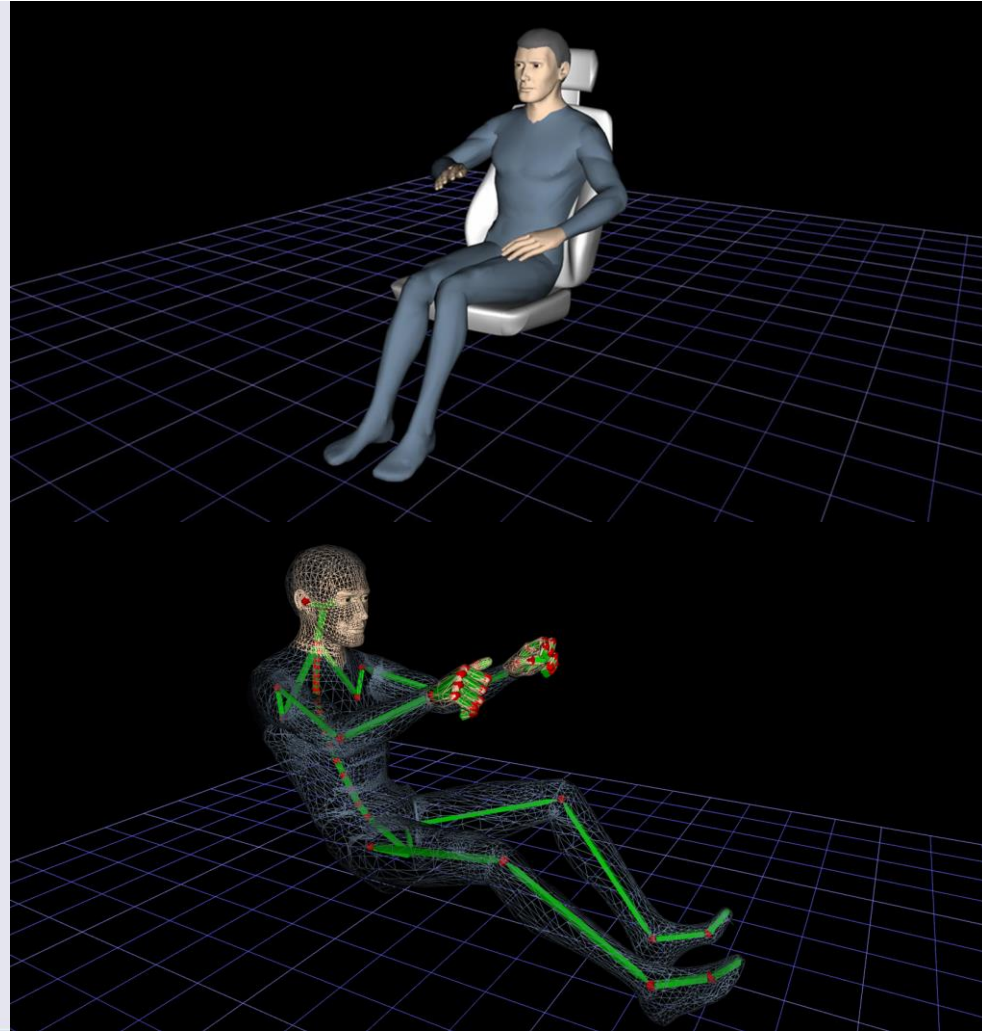
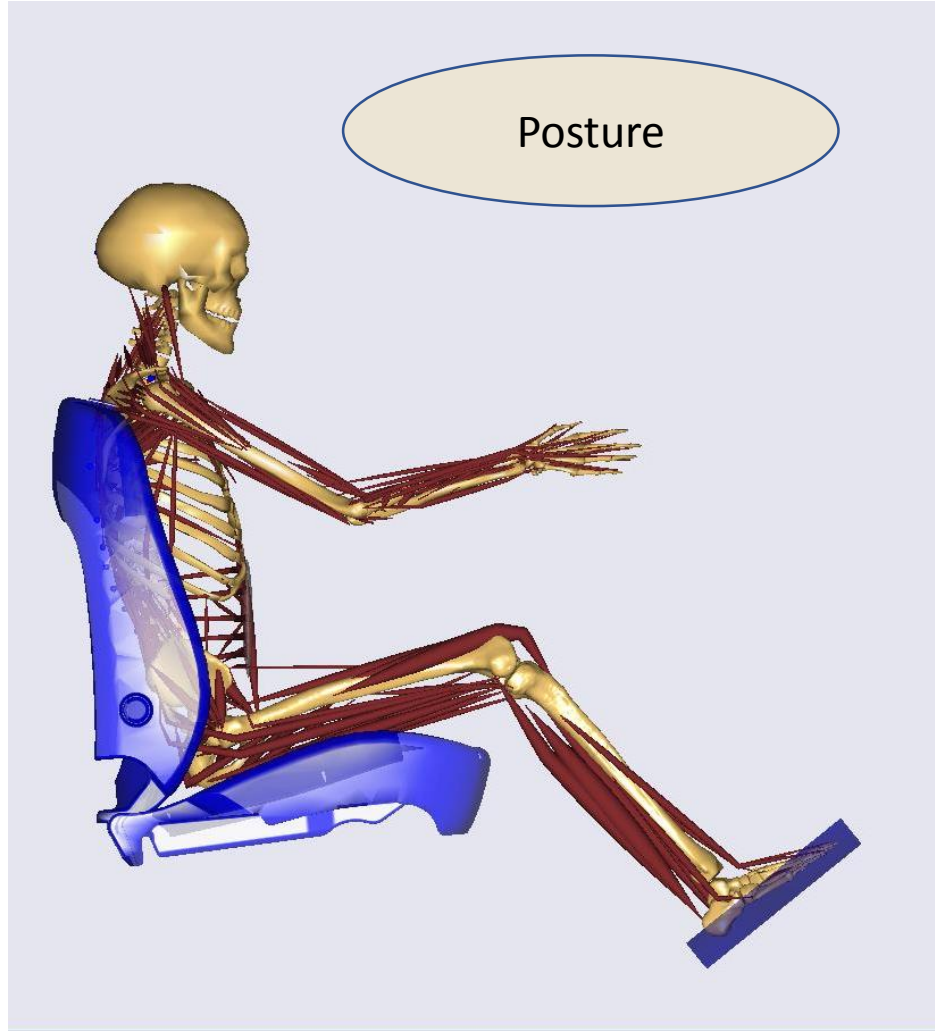
- Can be solved, e.g. speech control, seat mounted controls etc.
- “Driver package space” will continue to be confined, however larger than in traditional packaging

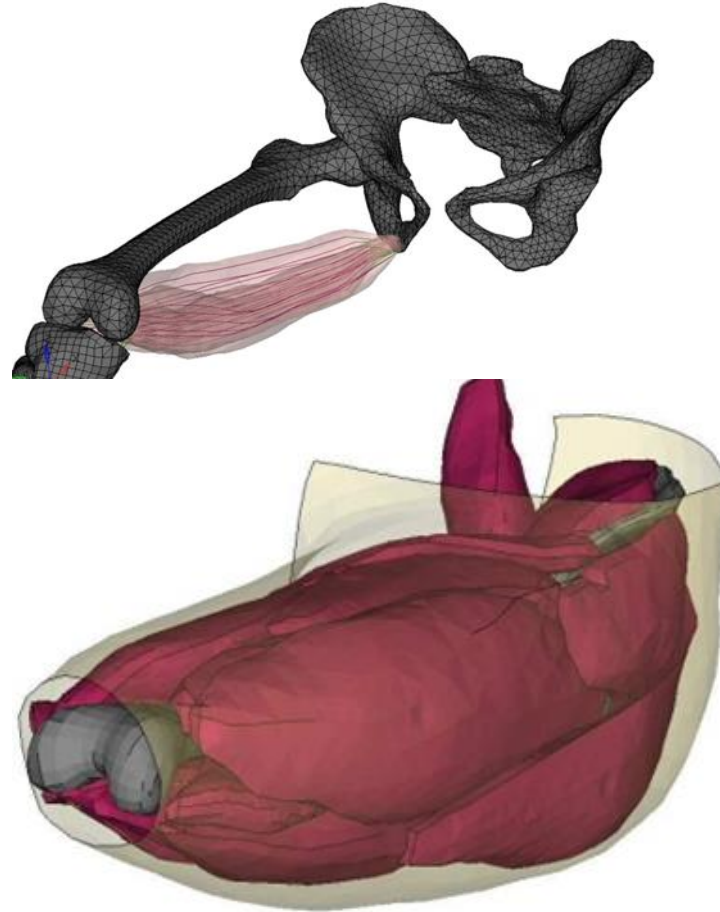
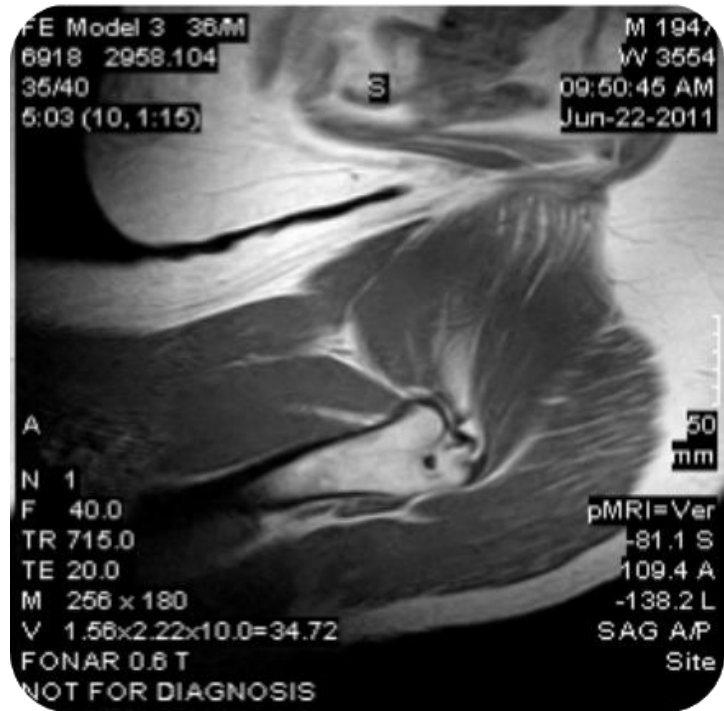


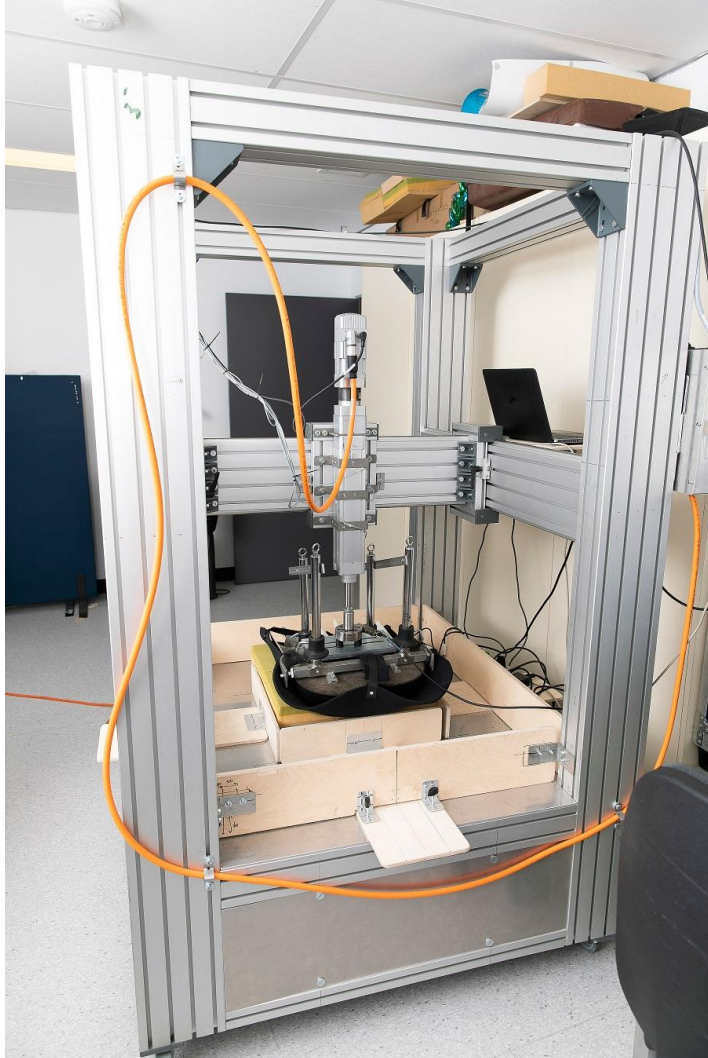
Motion

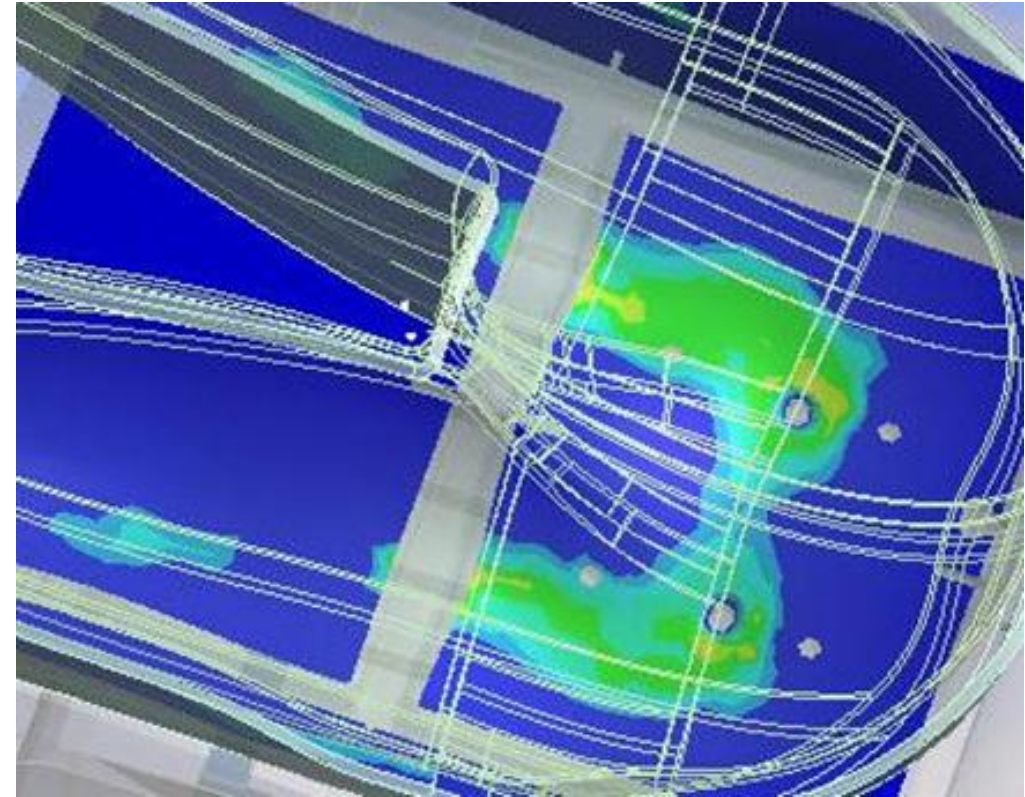
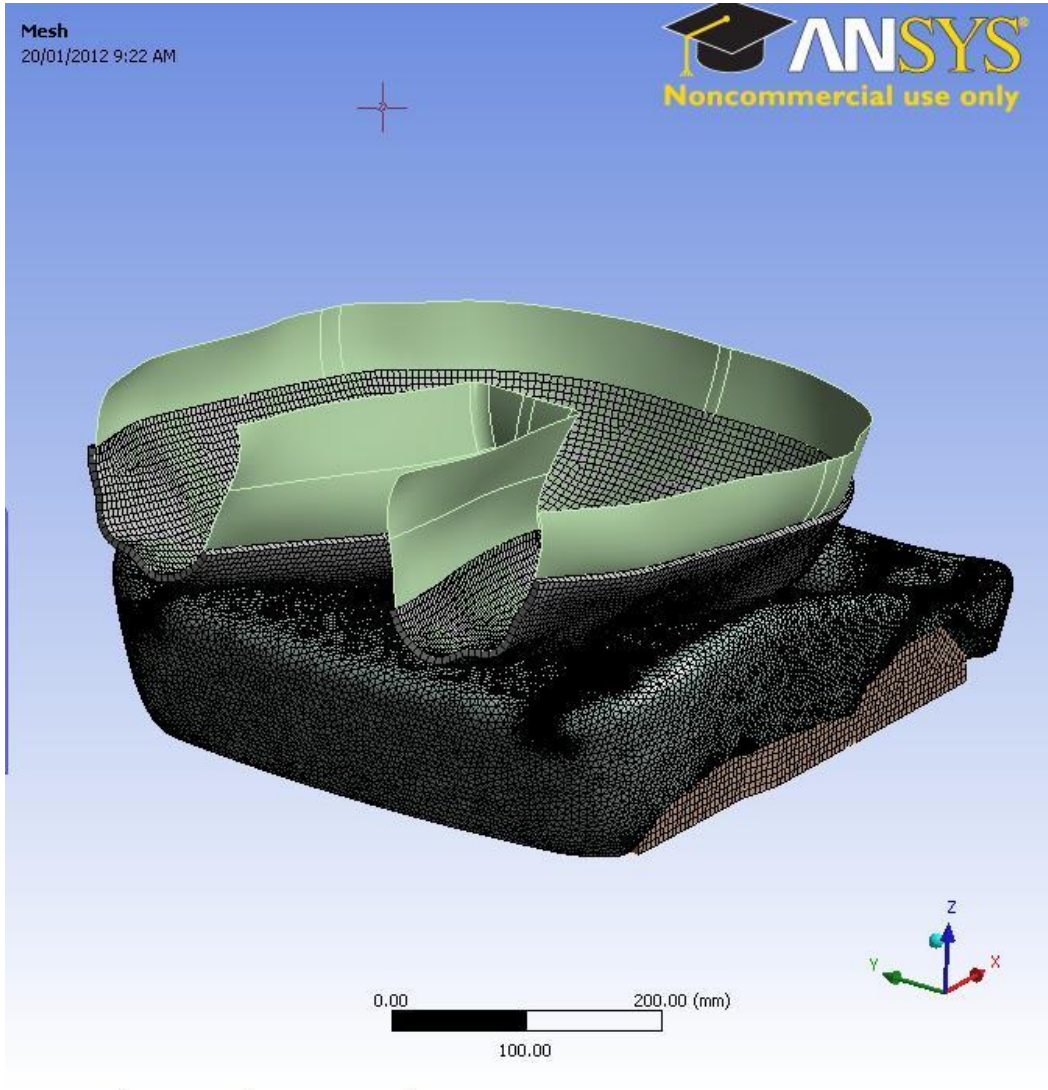


cushion
seatback

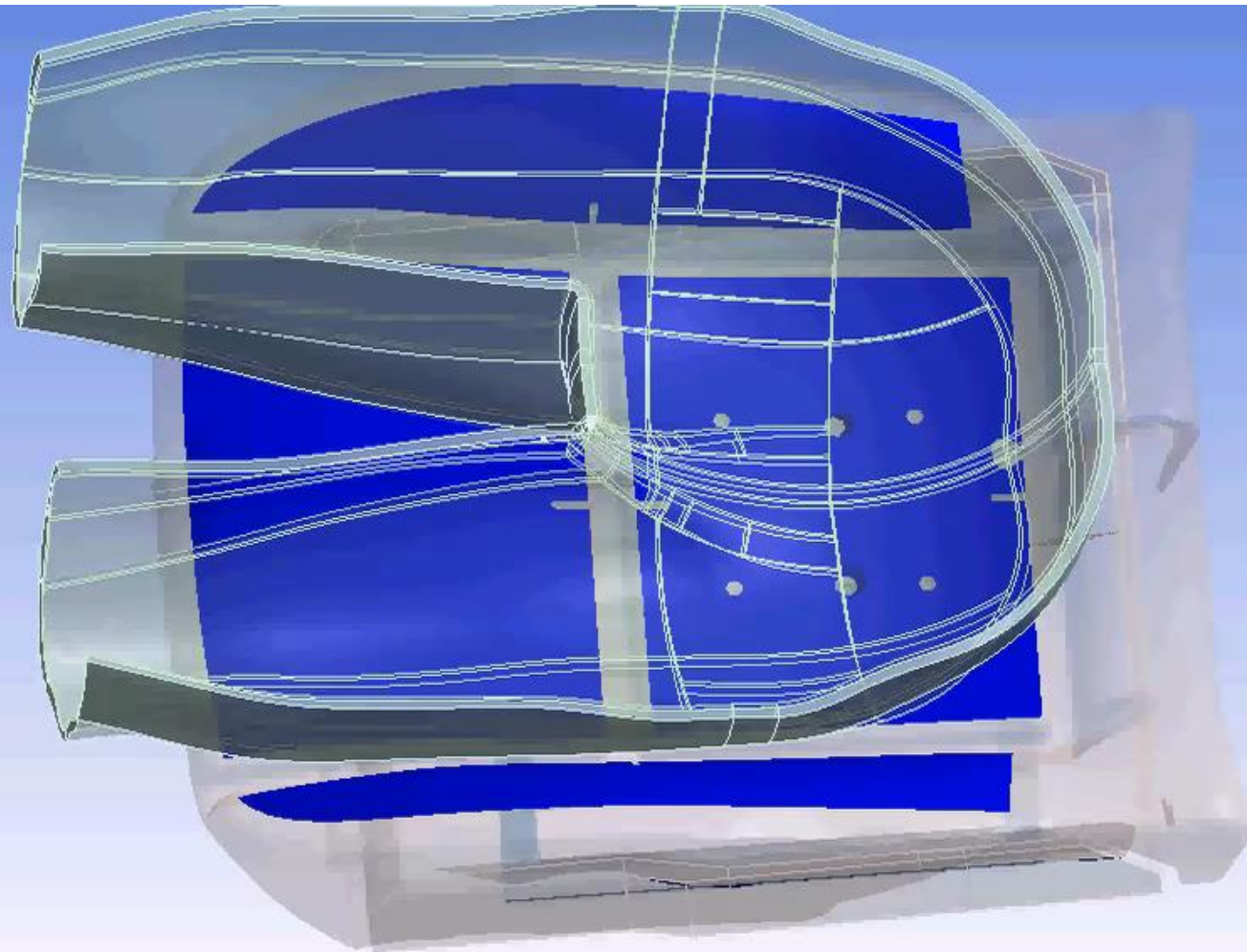
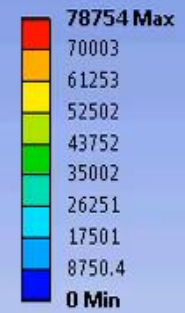








B: Static Structural
Pressure
Type: Pressure
Unit: Pa
Time: 1
25/02/2013 9:16 AM



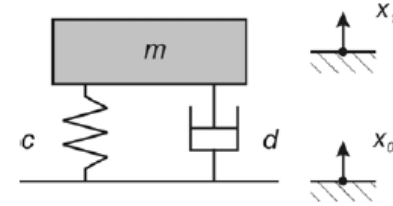
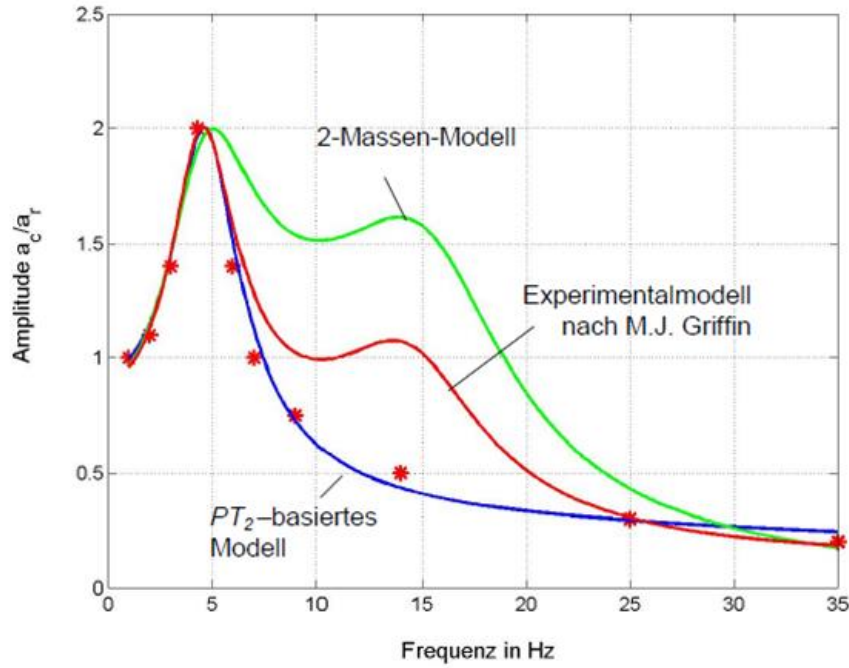


Abbildung 3: 1-Massen-Modell des Pkw-Sitzes

$$G_S(s) = \frac{T_1 s + 1}{T_2^2 s^2 + T_1 s + 1} \cdot \frac{T_{AR,Z} s + 1}{T_{AR,N} s + a_0}$$

Tabelle 1: Parametersatz des 1-Massen-Modells

T_1	T_2	$T_{AR,Z}$	$T_{AR,N}$	a_0
$20,5 \cdot 10^{-3} \text{ s}$	$32,5 \cdot 10^{-3} \text{ s}$	$15,9 \cdot 10^{-3} \text{ s}$	$4 \cdot 10^{-3} \text{ s}$	1,05

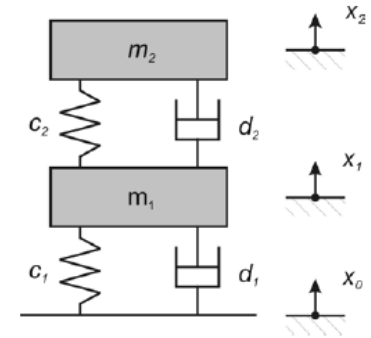


Abbildung 7: 2-Massen-Modell

$$G_S(s) = G_{PT_4}(s) \cdot G_{AR}(s)$$

$$G_{PT_4}(s) = \frac{Y(s)}{U(s)} = \mathbf{c}^T (s\mathbf{I} - \mathbf{A})^{-1} \mathbf{B}$$

$$G_{AR}(s) = \frac{(T_{AR,Z} s + 1)(T_d s + 1)}{T_{AR,N} s + a_0}$$

Tabelle 2: Parametersatz des 2-Massen-Modells

m_1	m_2	c_1	c_2	$T_{AR,Z}$	$T_{AR,N}$	a_0
40 kg	30 kg	$70 \cdot 10^3 \text{ N/m}$	$170 \cdot 10^3 \text{ N/m}$	$7,5 \cdot 10^{-3} \text{ s}$	$50 \cdot 10^{-3} \text{ s}$	1,1

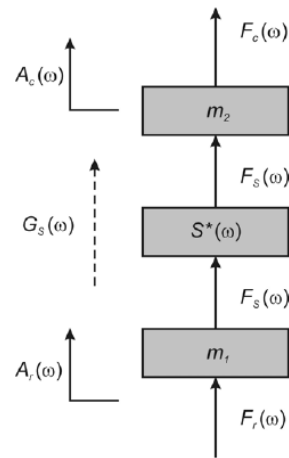


Abbildung 11: Experimentalmodell in Anlehnung an M.J. Griffin (Quelle: M. J. Griffin [3])

$$G_S(s) = \frac{A_c(s)}{A_r(s)} = \frac{T_{11} s + 1}{T_{12}^2 s^2 + T_{11} s + 1} \cdot \frac{T_{21} s + 1}{T_{22}^2 s^2 + T_{21} s + 1} \cdot \frac{T_{AR,Z2}^2 s^2 + T_{AR,Z1} s + 1}{T_{AR,N2}^2 s^2 + T_{AR,N1} s + a_0} \cdot (T_d s + 1)^2 = \sum_{i=0}^6 b_i s^i / \sum_{i=0}^6 a_i s^i$$

Vibration

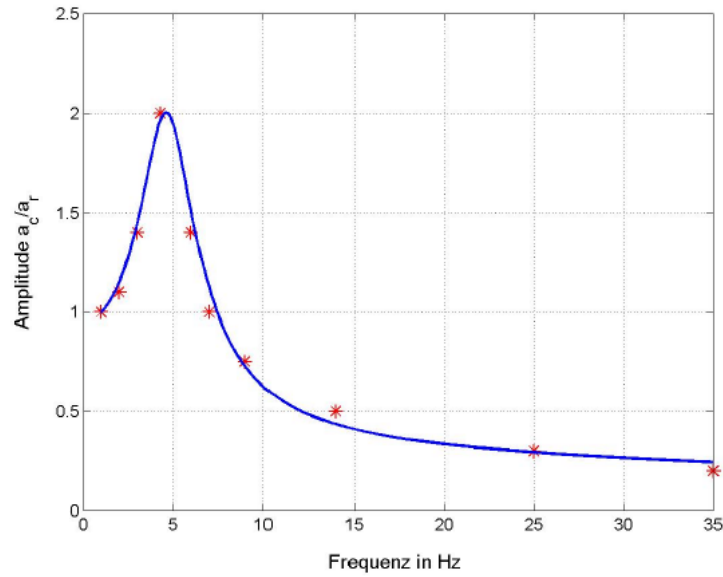
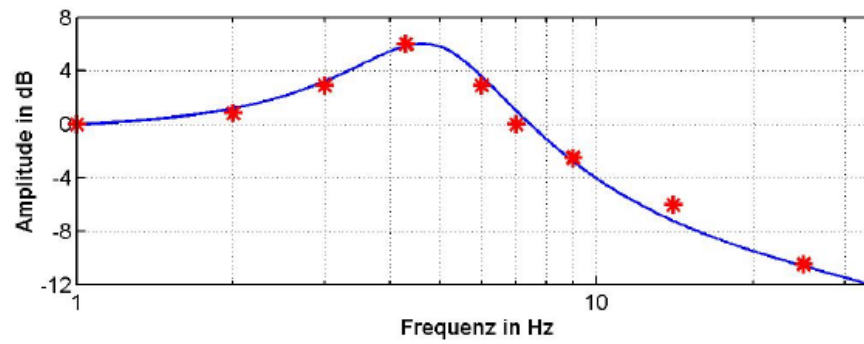


Abbildung 5: Gegenüberstellung des simulierten und experimentell erfassten Amplitudengangs: — PT₂-basiertes Modell; * Experiment



two-mass model

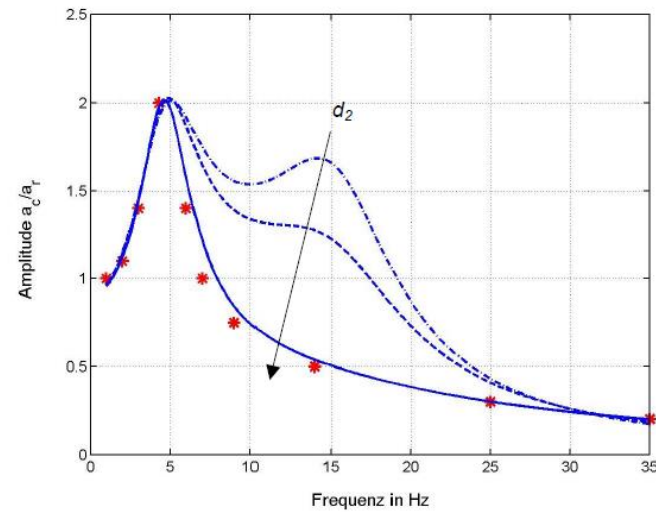


Abbildung 9: Amplitudengang der Sitz-Übertragungsfunktion in Abhängigkeit des Dämpfungskoeffizienten d_2 : — Simulation, * Experiment



Active vibration

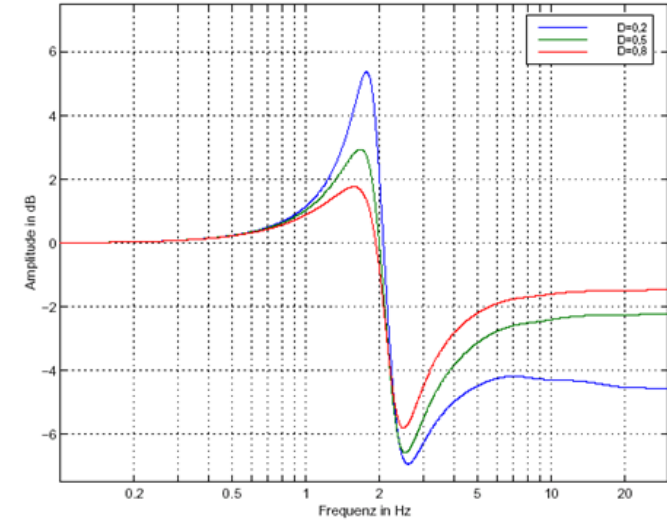


Abbildung 5.10: Isolationsgrad bei konstanter Steifigkeit $c_{10}=50000 \text{ N/m}$

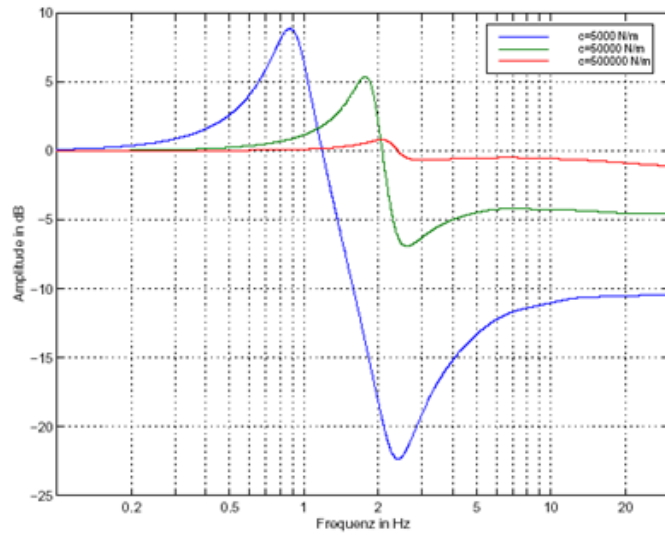


Abbildung 5.6: Isolationsgrad bei konstanter Lehr'scher Dämpfung $D=0,2$

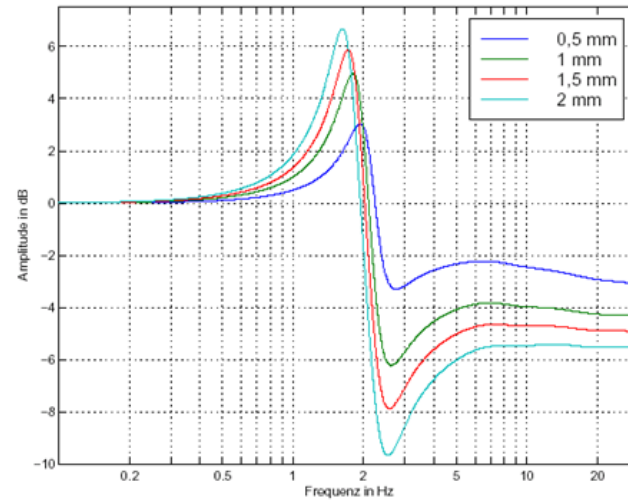


Abbildung 5.15: Isolationsverhalten für verschiedene erforderliche Stellwege s_{max} bei konstanter Lehr'scher Dämpfung $D=0,2$

erf. Stellweg s_{max}	D=0,2	D=0,5	D=0,8
0,5 mm	$c_{10}=113000 \text{ N/m}$	$c_{10}=9500 \text{ N/m}$	$c_{10}=78000 \text{ N/m}$
1,0 mm	$c_{10}=57000 \text{ N/m}$	$c_{10}=40000 \text{ N/m}$	$c_{10}=25000 \text{ N/m}$
1,5 mm	$c_{10}=42500 \text{ N/m}$	$c_{10}=25000 \text{ N/m}$	$c_{10}=10000 \text{ N/m}$
2,0 mm	$c_{10}=32000 \text{ N/m}$	$c_{10}=13000 \text{ N/m}$	$c_{10}=1500 \text{ N/m}$

- small actor amplitude drives high stiffness
- the higher the stiffness, the smaller the actor amplitude
- the higher the stiffness, the higher the required actor power
- the stiffer the system, the worse the vibration isolation
- the larger the actor amplitude, the smaller the resonance frequency
- the higher the damping, the higher the required actor power
- the higher the damping, the smaller the resonance amplitude
- the smaller the damping and the higher the actor amplitude, the better the vibration isolation above 4 Hz
- no vibration isolation below 1 Hz possible
 - ⇒ Medium actor amplitude
 - ⇒ Medium stiffness
 - ⇒ Small damping
 - ⇒ Modern high power battery systems capable